

Part - A		
1	3600 Or $5 \times 11^2 \times 23$	1
2	$p \neq 4$	1
3	no real	1
4	14, 38 or 20	1
5	625:81	1
6	350 cm ²	1
7	$\sqrt{2} - 1$	1
8	mean	1
9	$k = 10$	1
10	$\frac{3}{26}$	1
11	$k = 1$ or $k = 4$	
12	Step $\frac{1}{2}$ mark Correct answer : 23 $\frac{1}{2}$ mark OR Step $\frac{1}{2}$ mark Correct answer : -3 $\frac{1}{2}$ mark	1
13	Use of Area of circle $\frac{1}{2}$ mark Correct answer: D=52 cm $\frac{1}{2}$ mark	1
14	Using Area of Quadrant = $\frac{1}{4} \pi r^2$, $r = 7\text{cm}$, $2r = 14\text{ cm}$	1
15	Total surface area of the solid = $2\pi rh + \pi r^2 + \pi rl$	1
16	$\beta - \alpha = 30^\circ$ or 30°	1
SECTION-II		
Q17	(a) (III) $\sqrt{10}$	
	(b) (I) 8	

	(c) (IV) $\sqrt{20}$	
	(d) (IV) (2.0, 8.5)	
	(e) (I) (13, 8)	
Q18	(a) (III) 90°	1X4=4
	(b) (II) SAS	
	(c)(II) 4:9	
	(d) (IV) Converse of Pythagoras theorem	
	(e) (III) 24	
Q19	(a)(II) (4, 1)	1X4=4
	(b)(I) intersects x-axis	
	(c) parabola	
	(d) (II) $x^2 - 3x - 2$	
	(e) (I) -1, -1	
Q20	(a)(IV) 6.2 hectares	1X4=4
	(b) (II) 7	
	(c) (III) median	
	(d) (II) 5-7	
	(e) (I) 10	
21	LCM \times HCF = Product of two numbers LCM = = 22338	1 1
22	$\alpha + \beta = 5$ and $\alpha\beta = k$ $\alpha - \beta = 1$ $(\alpha - \beta)^2 = 1^2$ $(\alpha + \beta)^2 - 4\alpha\beta = 1$ $25 - 4k = 1$ $k = 6$	1 1

23	<p>P (x, y) is equidistant from the point A(3, 6) and B(- 3, 4)</p> <p>PA = PB</p> <p>Getting relation $3x + y - 5 = 0$</p>	<p>1</p> <p>1</p>
24	Correct prove	2
25	Correct construction and justification	2
26	<p>a=20 d=-3/4 then</p> <p>$a_n < 0$</p> <p>$a+(n-1)d < 0$</p> <p>$20+(n-1)(-3/4) < 0$</p> <p>$83-3n < 0$</p> <p>$3n > 83 \Rightarrow n > 28$</p> <p>Or</p> <p>$S_m = m/2 \{ (a+(m-1)d) \}$</p> <p>$S_n = n/2 \{ (a+(n-1)d) \}$</p> <p>$S_{m+n} = 0$ (since $S_m = S_n \Rightarrow a = -(m+n)$)</p>	<p>1</p> <p>1</p> <p>1</p> <p>1</p>
27	For correct proof	3
28	<p>Pipe A take x hours and Pipe B takes y hours to fill the pool separately.</p> <p>$1/x + 1/y = 1/12$——(1)</p> <p>Now Let $1/x = P$ & $1/y = Q$ then</p> <p>$P + Q = 1/12$</p> <p>$\Rightarrow 12P + 12Q = 1$——(3)</p> <p>And</p> <p>$4P + 9Q = 1/2$</p> <p>$\Rightarrow 8P + 18Q = 1$——(4)</p> <p>Now solving equation 3 & 4</p> <p>$\Rightarrow -30Q = -1$</p> <p>$\Rightarrow Q = 1/30$</p> <p>now put value of Q in equation 3</p> <p>We get $P = 1/20$</p> <p>So $x = 20$ and $y = 30$</p>	<p>1</p> <p>1</p> <p>1</p>

29	<p>$x=-5$ so put in q.e. $2x^2+px-15=0$</p> <p>$p=7$</p> <p>put p in q.e. $p(x^2+x)+k=0$</p> <p>$7x^2+7x+k=0$</p> <p>on solving $k=7/4$</p>	1 1 1
30	<p>Let $TR = y$</p> <p>Since OT is perpendicular bisector of PQ.</p> <p>Therefore, $PR=QR=4\text{cm}$</p> <p>In right triangle OTP and PTR, we have,</p> <p>$TP^2=TR^2+PR^2$</p> <p>Also, $OT^2=TP^2+OP^2$</p> <p>$OT^2=(TR^2+PR^2) + OP^2$</p> <p>$(y+3)^2=y^2+16+25$ ($OR = 3$, as $OR^2 = OP^2 - PR^2$)</p> <p>$\Rightarrow 6y=32$</p> <p>$\Rightarrow y = \frac{16}{3}$</p> <p>$\Rightarrow TP^2=TR^2+PR^2$</p> <p>$\Rightarrow TP^2 = \left(\frac{16}{3}\right)^2 + 4^2 = \frac{256}{9} + 16 = \frac{400}{9}$</p> <p>$\Rightarrow TP = \frac{20}{3} \text{ cm}$</p>	1 1
31	<p>For correct diagram</p> <p>For writing Given & To Prove</p> <p>For correct proof</p>	$\frac{1}{2}$ $\frac{1}{2}$ 2
32	<p>Given: diameter of the well = 3 m</p> <p>\Rightarrow Radius = $\frac{3}{2} \text{ m}$</p> <p>Depth of the well = 14 m</p> <p>Volume of the earth taken out from the well = $\pi r^2 h$</p> <p>$= \pi \left(\frac{3}{2}\right)^2 \times 14 = \frac{\pi \times 9 \times 14}{4} = \frac{63}{2} \pi \text{ m}^3$</p>	1 1

∴ Earth taken out from the well evenly spread to form an embankment having height h and width of embankment around the well is 4 m.

∴ External radius (R) = radius of well + width of the embankment

$$= \frac{3}{2} \text{ m} + 4 \text{ m} = \frac{11}{2} \text{ m}$$

$$\text{Internal radius} = \frac{3}{2} \text{ m} = \text{radius of well}$$

Volume of the earth used for embankment = $\pi (R^2 - r^2) h$

$$= \pi \left[\left(\frac{11}{2} \right)^2 - \left(\frac{3}{2} \right)^2 \right] h \text{ m}^3 = \pi \left(\frac{121}{4} - \frac{9}{4} \right) h \text{ m}^3$$

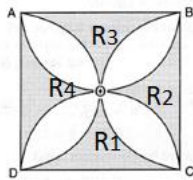
$$= \pi \left(\frac{112}{4} \right) h \text{ m}^3 = \pi (28) h \text{ m}^3$$

According to question,

$$\frac{63}{2} \pi = \pi \times 28 h \Rightarrow h = \frac{63}{2 \times 28} = \frac{9}{8} = 1.125 \text{ m}$$

1

33



Area of shaded region = area of square ABCD – (area of R1 + area of R2 + area of R3 + area of R4)

$$57 \text{ cm}^2$$

Area of unshaded region = (area of R1 + area of R2 + area of R3 + area of R4)

$$43 \text{ cm}^2$$

1 ½

1 ½

34

For correct figure

Let AB be the tower.

D is the initial and C is the final position of the car respectively.

Since man is standing at the top of the tower so, Angles of depression are measured from A.

BC is the distance from the foot of the tower to the car.

In right $\triangle ABC$,

$$\tan 60^\circ = AB/BC$$

$$\sqrt{3} = AB/BC$$

$$BC = AB/\sqrt{3}$$

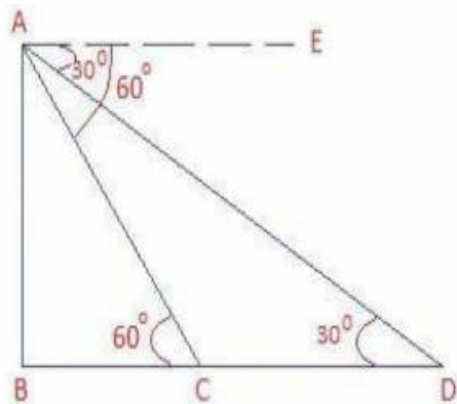
$$AB = \sqrt{3} BC$$

Step 2:

In right $\triangle ABD$,

$$\tan 30^\circ = AB/BD$$

$$1/\sqrt{3} = AB/BD$$



1

1

1

1

$$AB = BD/\sqrt{3}$$

Step 3: From step 1 and Step 2, we have

$$\sqrt{3} BC = BD/\sqrt{3} \text{ (Since LHS are same, so RHS are also same)}$$

$$3 BC = BD$$

$$3 BC = BC + CD$$

$$2BC = CD$$

$$\text{or } BC = CD/2$$

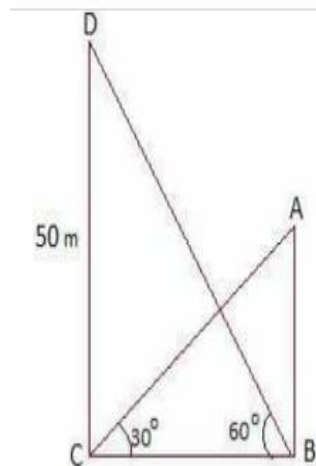
Here, distance of BC is half of CD. Thus, the time taken is also half.

Time taken by car to travel distance CD = 6 sec. Time taken by car to travel BC = $6/2 = 3$ sec.

OR

For correct figure

Let CD be the height of the tower. AB be the height of the building. BC be the distance between the foot of the building and the tower. Elevation is 30 degree and 60 degree from the tower and the building respectively.



In right $\triangle BCD$,

$$\tan 60^\circ = CD/BC$$

$$\sqrt{3} = 50/BC$$

$$BC = 50/\sqrt{3} \dots(1)$$

Again,

In right $\triangle ABC$,

$$\tan 30^\circ = AB/BC$$

$$\Rightarrow 1/\sqrt{3} = AB/BC$$

Use result obtained in equation (1)

$AB = 50/3$ Thus, the height of the building is $50/3$

35

Consider the left hand side of the expression: $\frac{\tan A}{1 - \cot A} + \frac{\cot A}{1 - \tan A}$

$$\begin{aligned}
 &= \frac{\frac{\sin A}{\cos A}}{1 - \frac{\cos A}{\sin A}} + \frac{\frac{\cos A}{\sin A}}{1 - \frac{\sin A}{\cos A}} \\
 &= \frac{\frac{\sin A}{\cos A}}{\frac{\sin A - \cos A}{\sin A}} + \frac{\frac{\cos A}{\sin A}}{\frac{\cos A - \sin A}{\cos A}} \\
 &= \frac{\sin^2 A}{\cos A(\sin A - \cos A)} + \frac{\cos^2 A}{\sin A(\cos A - \sin A)} \\
 &= \frac{\sin^2 A}{\cos A(\sin A - \cos A)} - \frac{\cos^2 A}{\sin A(\sin A - \cos A)} \\
 &= \frac{\cos A \sin A (\sin A - \cos A) - \sin A \cos A (\sin A - \cos A)}{\sin^3 A - \cos^3 A} \\
 &= \frac{\cos A \sin A (\sin A - \cos A)(\sin^2 A + \sin A \cos A + \cos^2 A)}{\cos A \sin A (\sin A - \cos A)(\sin^2 A + \sin A \cos A + \cos^2 A)} \\
 &= \frac{\cos A \sin A (\sin A - \cos A)}{\cos A \sin A} \\
 &= \frac{(1 + \sin A \cos A)}{\cos A \sin A} \\
 &= \sec A \operatorname{cosec} A + 1
 \end{aligned}$$

1

1

1

1

1

36

Here, it is given that Median = 28.5 and $n = \sum f_i = 60$

Cummulative frequency table for the following data is given.

Here $n = 60 \Rightarrow 2n = 30$

Since, median is 28.5, median class is 20–30

Hence, $l = 20, h = 10, f = 20, c.f. = 5 + x$

Therefore, Median = $l + \frac{(f/2 - cf)h}{f - cf}$

$$28.5 = 20 + \frac{(20/2 - 5 - x)10}{20 - 5 - x}$$

$$\Rightarrow 28.5 = 20 + \frac{225 - x}{5 - x}$$

$$\Rightarrow 8.5 \times 2 = 25 - x$$

$$\Rightarrow x = 8$$

Also, $45 + x + y = 60$

$$\Rightarrow y = 60 - 45 - x = 15 - 8 = 7.$$

Hence, $x = 8, y = 7$

Class - interval	Frequency	Cumulative frequency
0 – 10	5	5
10 – 20	x	$5 + x$
20 – 30	20	$25 + x$
30 – 40	15	$40 + x$
40 – 50	y	$40 + x + y$
50 – 60	5	$45 + x + y$
Total	$n = 60$	

1

1

1

1

1

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